

# Deposit Supply and Loan Demand in a Bank Sector with Differentiated Competition between Investor- and Customer-Owned Banks

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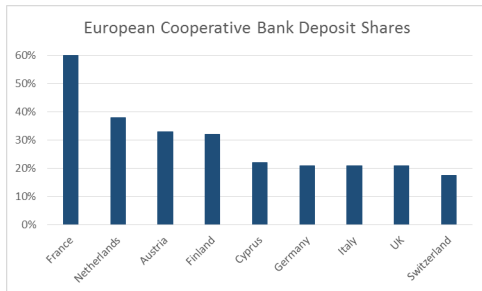
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# Introduction – Incidence of Customer-Owned Banks

- Savings banks are often owned by their customers (i.e. mutuals, cooperatives, credit unions, etc) rather than by investors



UK data from [www.bsa.org.uk](http://www.bsa.org.uk) (2014), otherwise ICBA (2005)



# Demutualisation Explanations

- Demutualisations have variously been explained in terms of:
  - *Capital access* – Hadaway and Hadaway (1981), Masulis (1987), Chaddad and Cook (2004):
    - CO banks restricted to relying on profits and retained earnings to fund growth, and buffer shocks;
  - *Regulation* – Kroszner and Strahan (1996):
    - Demutualisations as cheaper alternative to closing down insolvent thrifts for cash-strapped regulators; and
  - *Failure to maximise owners' welfare* – Girotti and Meade (2017).

# Demutualisation due to Dissatisfaction?

- As to the latter explanation, support might be taken from the fact that *CO* savings banks, on average, have often offered *lower* deposit rates than *IO* savings banks:



Figure 4 from Girotti and Meade (2017), Banque de France working paper.

# Question

- Question – instead of demutualisations being a sign of *dissatisfaction* with how *CO* banks were operating, might the opposite be true:
  - Perhaps customer-owners were in fact so *satisfied* with their *CO* banks that they were prepared to accept lower deposit rates?
  - Hence, due to internal agency conflicts or otherwise, perhaps the banks that demutualised were the ones for which this effect was most pronounced – i.e. those which could raise deposits for loan making on the most favourable terms?

# Contribution

- This paper sheds light on this question by developing a Hotelling-style model:
  - Of differentiated competition between duopolistic *CO* and *IO* banks, each taking deposits and making loans;
  - Based on first deriving what deposit supply and loan demand look like when households face such “mixed” competition; and
  - Showing that *CO* offers a lower deposit rate in equilibrium if it has sufficient “mass market” appeal.
- It contributes to a very sparse theoretical literature on mixed bank competition (e.g. Girotti and Meade (2014), Girotti et al. (2015)).

# Setup – Household Deposit Supply Choice

- Adapt standard two period household inter-temporal utility maximisation problem to be in terms of deposit choice (vs consumption choice).
- Household's exogenous income is  $y_t$  in periods  $t \in \{1, 2\}$ , while its consumption in each period is  $c_t$ .
- It makes a *fixed* deposit  $D > 0$  in period 1, earning exogenous deposit rate  $r_i^D$  where  $i \in \{CO, IO\}$ .
- The household's budget constraints write in the usual way as:

$$c_1 = y_1 - D \quad (1)$$

$$c_2 = y_2 + D \left(1 + r_i^D\right) \quad (2)$$



## Household Deposit Supply Choice (cont'd)

- Assuming time-invariant preferences, and common discount factor  $\beta$ , the household's *gross* utility thus writes as:

$$U(c_1) + \beta U(c_2) \quad \text{s.t. BCs (1) and (2)}$$

$$\Leftrightarrow \underbrace{U(y_1 - D) + \beta U\left(y_2 + D(1 + r_i^D)\right)}_{\equiv U_i}$$

- Now introduce differentiation, and derive *net* utility attaching to the choice of which bank to deposit at ...

# Adding Differentiation

- Suppose each bank type  $i$  offers households a differentiated bundle of non-deposit rate characteristics, and that households have preferences over those characteristics.
- Specifically, assume households:
  - Are uniformly distributed over the unit line, with  $CO$  exogenously located at  $a$  and  $IO$  exogenously located at  $1 - b$ ; and
  - Incur a quadratic “misalignment cost” (proportional to  $c$ ) from being located at  $x$  rather than where their preferred bank type is located.
- Impose  $a + b < 1$  to ensure deposit supplies are upward sloping, and loan demands downward sloping.

## Deposit Choice with Differentiation

- A household located at  $x$  thus faces the following *net* utility maximisation problem:

$$\max_{\{CO, IO\}} \left\{ U_{CO} - c(x-a)^2, U_{IO} - c(x-(1-b))^2 \right\}$$

$$U_i \equiv U(y_1 - D) + \beta U\left(y_2 + D(1 + r_i^D)\right), \quad i \in \{CO, IO\}$$

- Notice that  $U(y_1 - D)$  and  $\beta$  are independent of bank type  $i$ , so the household deposits with  $CO$  iff:

$$\begin{aligned} & U\left(y_2 + D(1 + r_{CO}^D)\right) - c(x-a)^2 \\ & > U\left(y_2 + D(1 + r_{IO}^D)\right) - c(x-(1-b))^2 \end{aligned}$$

# Simplifying Deposit Choice Problem

- We can usefully simplify further if we assume  $U_i$  is:
  - 1 Quasi-linear in income; and
  - 2 Logarithmic in  $D(1+r_i^D)$ .
- In that case utility writes as:

$$U_i(r_i^D) = y_2 + \ln(D) + \ln(1+r_i^D) \approx y_2 + \ln(D) + r_i^D$$

- Since  $y_2$  and  $D$  are independent of bank type  $i$ , the only part of utility relevant to bank choice is  $r_i^D$  ...

## Solution – Deposit Supply for Each Bank Type

- A household located at  $x$  therefore faces a much simpler problem:

$$\max_{\{CO, IO\}} \left\{ r_{CO}^D - c(x-a)^2, r_{IO}^D - c(x-(1-b))^2 \right\}$$

- Solving for the indifferent household's location in the usual way:

$$\hat{x}(r_{CO}^D, r_{IO}^D) = \frac{r_{CO}^D - r_{IO}^D}{2c(1-a-b)} + \frac{1}{2}(1+a-b)$$

- Assuming a unit mass of households, the deposit demand facing each bank type is therefore:

$$q_{CO}^D(r_{CO}^D, r_{IO}^D) = \hat{x}(r_{CO}^D, r_{IO}^D)$$

$$q_{IO}^D(r_{CO}^D, r_{IO}^D) = 1 - \hat{x}(r_{CO}^D, r_{IO}^D)$$

## Setup – Household Loan Demand Choice

- Suppose our (other) unit mass of households also chooses fixed loan demand amount  $L > 0$ .
- Following the steps above, the household's gross utility from borrowing is:

$$U_i^L \equiv U(y_1 + L) + \beta U\left(y_2 - L(1 + r_i^L)\right)$$

- Allowing our *CO* and *IO* banks to also offer differentiated loan bundles, and assuming household “misalignment costs” as before, the loan choice problem of a household located at  $x^L$  ultimately simplifies as:

$$\max_{\{CO, IO\}} \left\{ -r_{CO}^L - c^L (x^L - a)^2, -r_{IO}^L - c^L (x^L - (1 - b))^2 \right\}$$

## Solution – Loan Demand for Each Bank Type

- Proceeding as before, the indifferent household's location is given by:

$$\hat{x}^L(r_{CO}^L, r_{IO}^L) = \frac{r_{IO}^L - r_{CO}^L}{2c^L(1-a-b)} + \frac{1}{2}(1+a-b)$$

- So our loan demand for *CO* located at  $a$ , and for *IO* located at  $(1-b)$ , are:

$$q_{CO}^L(r_{CO}^L, r_{IO}^L) = \hat{x}^L(r_{CO}^L, r_{IO}^L)$$

$$q_{IO}^L(r_{CO}^L, r_{IO}^L) = 1 - \hat{x}^L(r_{CO}^L, r_{IO}^L)$$

## Setup – Bank Objective Functions

- Each bank chooses its own deposit and lending rates, taking the deposit and lending rate choices of its rival as given.
- In general, this means  $q_i^D \neq q_i^L$ , but each bank can only lend funds it has:
  - Hence we also assume that each bank can borrow or lend on a wholesale market at exogenous rate  $r^W$ .
- Assuming quadratic variable costs, and writing  $r^j \equiv (r_{CO}^j, r_{LO}^j)$  for  $j \in \{D, L\}$ , profit of bank  $i$  is:

$$\Pi_i(r^D, r^L) = r_i^L q_i^L(r^L) - r_i^D q_i^D(r^D) + \underbrace{r^W (q_i^D(r^D) - q_i^L(r^L))}_{\text{wholesale balancing}}$$

$$- \frac{\gamma^L}{2} q_i^L(r^L)^2 - \frac{\gamma^D}{2} q_i^D(r^D)^2 - F_i$$



## Bank Objective Functions (cont'd)

- While  $IO$  is assumed to choose its deposit and loan rates to maximise profits,  $CO$  is assumed to do so to maximise profits *plus depositor and borrower surpluses*.
- Bank objective functions can therefore be written as:

$$\Pi_i(r^D, r^L) + 1(CO) \{ S_{CO}^D(r^D) + S_{CO}^L(r^L) \}$$

$$S_{CO}^D(r^D) = \int_0^{r_{CO}^D} q_{CO}^D(x, r_{IO}^D) dx$$

$$S_{CO}^L(r^L) = \int_0^{q_{CO}^L(r^L)} r_{CO}^L(x, r_{IO}^L) - r_{CO}^L(q_{CO}^L(r^L)) q_{CO}^L(r^L)$$

- Taking FOCs for each bank with respect to their own deposit and lending rates, given their rival's rates, and solving for equilibrium rates ...

## Results – *CO* can Offer Lower Deposit Rate than *IO*

- Recall that *CO* formally seeks to maximise the equivalent of welfare (i.e. profits plus surpluses), while *IO* maximises just profits:
  - This might tempt one to believe that in equilibrium,  $r_{CO}^D > r_{IO}^D$ , and  $r_{CO}^L < r_{IO}^L$ ;
  - But “misalignment cost” effects must also be taken into account ...
- Indeed, provided *CO* is located sufficiently closer to the mass of depositors than *IO* is, its equilibrium deposit rate is in fact *lower* than *IO*'s. Formally:

$$\hat{r}_{CO}^D < \hat{r}_{IO}^D \iff \frac{c}{\delta^D} < \frac{a-b}{(a-b-1)(a+b-1)}$$

- RHS denominator is positive, so condition is only satisfied if  $a$  is sufficiently greater than  $b$ .

## CO can also Charge Higher Loan Rate than IO

- We find an analogous condition for when CO charges a *higher* equilibrium loan rate than IO, despite (actually, because of) it formally maximising consumer welfare:

$$\hat{r}_{CO}^L > \hat{r}_{IO}^L \iff \frac{c^L}{\delta^L} < \frac{a-b}{(a-b-1)(a+b-1)}$$

- Once again, provided CO has sufficient “mass market” appeal (i.e.  $a$  is sufficiently greater than  $b$ ), CO maximises its customer welfare even though it sets a loan rate (and deposit rate) less favourable than those set by its profit-maximising rival.

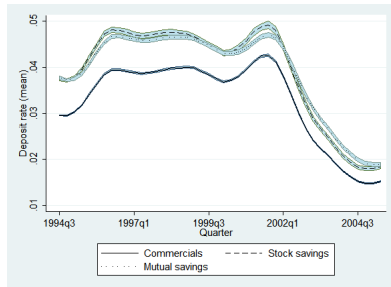
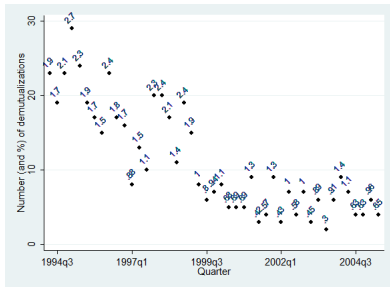
## Discussion – Alternative Rationale for Demutualisation

- These predictions provide an alternative explanation for why *CO* savings banks in the US offered lower deposit rates than *IO* banks up until when demutualisations petered out:
  - Girotti and Meade (2017) might be right – due to agency or other reasons, *CO* banks might not have been strictly maximising their customers' welfare, with low deposit rates (and high loan rates) a sign of governance failure;
  - However, this model suggests that these relative deposit and loan rates are also consistent with welfare-maximising behaviour.

## Alternative Rationale for Demutualisation (cont'd)

- Under the latter interpretation, any governance failure may have instead been for bank managers demutualising to take advantage of the fact that *CO* banks could borrow and lend at seemingly favourable rates.
- One could imagine such a process beginning with those *CO* banks that had the most “mass market” appeal, and hence the strongest rates advantages:
  - That would leave only those *CO* banks with less such appeal, who on average had to set higher deposit rates and lower loan rates in order to remain competitive.

## Alternative Rationale for Demutualisation (cont'd)



## Further Work

- This model is very much “beta version”, so will benefit from further development.
- In fact I developed it in an attempt to address a different question posed by the Girotti and Meade (2017) study:
  - How to justify our inclusion of “price” and ownership interactions in our empirical specification of indirect utility:

$$\begin{aligned}
 u_{ijt} = & \alpha_i \left( y_i + r_{jt}^D l_i \right) + \alpha_i^{Sav} \left( r_{jt}^D l_i \times Sav_{jt} \right) \\
 & + \alpha_i^{CustOwn} \left( r_{jt}^D l_i \times CustOwn_{jt} \right) + x_{jt} \beta_i + \xi_{jt} + \varepsilon_{ijt}
 \end{aligned}$$

- In fact I don't think this model will help (due to the deposit choice simplifications imposed), so will likely instead further develop Meade (2019) to address this latter question.

# Conclusions

- There is very little theoretical analysis of mixed bank competition, so this study helps to fill a gap:
  - Especially in its modelling of differentiated demand and competition.
- Clearly its implications for understanding demutualisations needs further work, in order to distinguish between diametrically opposite hypotheses:
  - Perhaps demutualisations are a sign of agency problems in either case;
  - But do they indicate customer *dissatisfaction* as a *response* to such problems, or customer *satisfaction* as their *cause*?
- Sounds like an excellent empirical question ...

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